

$[H_3O^+]$ is useful metric in acid/base situations

$$[H_3O^+] \times [OH^-] = \text{constant} = 1 \times 10^{-14}$$

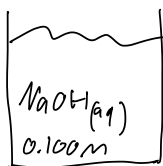
If $[H_3O^+] = 1 \times 10^{-4} M$ then $[OH^-]$ must be $1 \times 10^{-10} M$

$$pH = -\log_{10}([H_3O^+])$$

$[H_3O^+]$	$[OH^-]$	pH	
1×10^{-4}	1×10^{-10}	4	10x change in molarity
1×10^{-6}	1×10^{-8}	6	↓
1×10^{-10}	1×10^{-4}	10	1 unit change in pH
1×10^{-7}	1×10^{-7}	7	

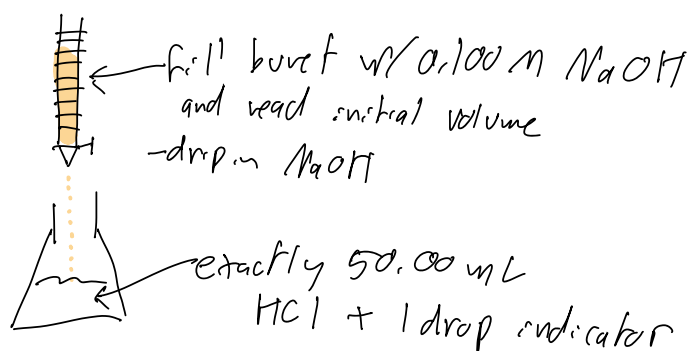
$pH < 7$ means more H_3O^+
than $OH^- \rightarrow \text{acidic}$

$pH > 7$ means less H_3O^+ than
 $OH^- \rightarrow \text{basic}$



How to find $[HCl]$?

— with a titration



colorless @ pH < 7
pink @ pH > 7

- eventually the next drop of NaOH
causes indicator to turn pink

→ # moles OH^- added = # of moles H_3O^+ originally present

Ex: 27.65 mL of 0.100 M NaOH needed to
get solution to turn pink ("equivalence point")

$$0.02765 \text{ L} \times \frac{0.1 \text{ mol}}{\text{L}} = 0.002765 \text{ moles } \text{OH}^- \text{ added to flask}$$

so there must have been 0.002765 moles
 H_3O^+ present initially

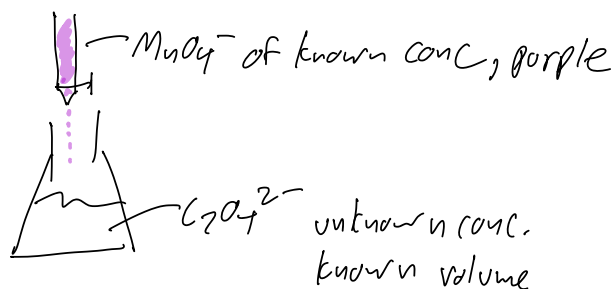
$$[\text{HCl}] = [\text{H}_3\text{O}^+] = \frac{0.002765 \text{ moles}}{0.05 \text{ L}} = 0.0553 \text{ M}$$

$$\text{pH of original HCl} = -\log_{10}(0.0553) = 1.26$$

Redox titration

MnO_4^- is a strong oxidizing agent
↓
+7

can oxidize all sorts of stuff - including
 $\text{C}_2\text{O}_4^{2-}$

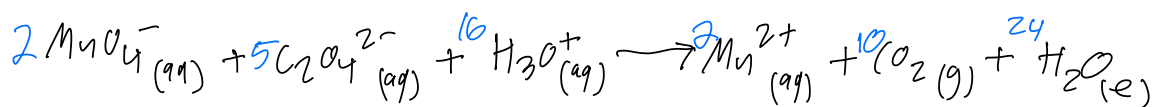
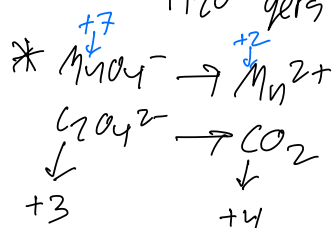


Add MnO_4^- until purple persists - b/c that is when we've added enough moles MnO_4^- to react w/ all $\text{C}_2\text{O}_4^{2-}$
we need balanced rxn for this process

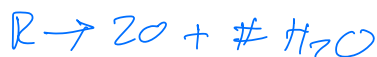
* it takes place in acidic solution

H_3O^+ gets added as reactant

H_2O gets added as product



need 5 C: 1 Mn

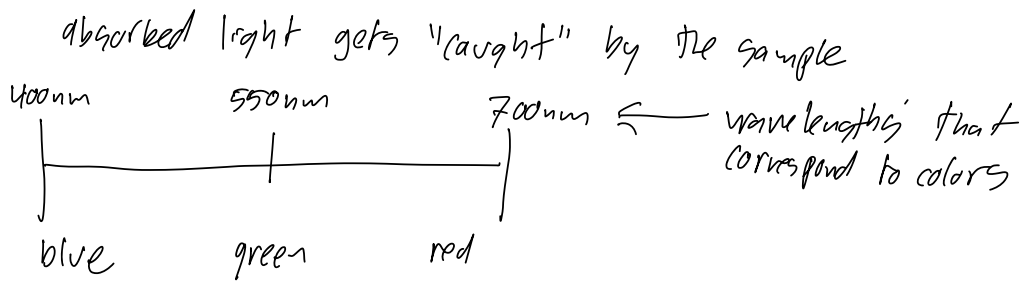


and $\text{H}_2\text{O} : \text{H}_3\text{O}^+ = 1.5 : 1$

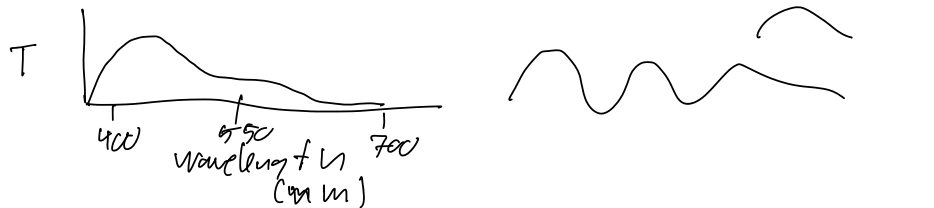
Last topic on CH 4

spectrophotometry

light Some colors of light are absorbed when light passes thru a sample of material ~~transmitted~~
transmitted light ~~un~~ passes thru and gets to your eyes



$$T = \text{transmission} = \frac{\text{amount of light that comes out}}{\text{amount of light that goes in}}$$



$$\text{Abs} = -\log_{10} T$$

Ex: 90% light transmitted

$$T = \frac{90}{100} = 0.9$$

$$\text{Abs} = -\log(0.9) = \underline{\underline{0.045}}$$

Bear's Law

$$\text{Abs} = \underset{\substack{\downarrow \\ \text{extinction} \\ \text{coefficient} \\ \downarrow \\ \text{units of } M^{-1} \text{ cm}^{-1} - \text{specific to given substance}}}{\epsilon} \times \underset{\substack{\downarrow \\ \text{path length} \\ \downarrow \\ \text{distance light travels thru sample (in cm)}}}{l} \times \underset{\substack{\downarrow \\ \text{molarity}}}{c}$$

Ch 5 - Energy, Heat and Work

→ ability to do work or transfer heat

* Energy is conserved

* We can convert energy from one form to another
chemical bonds are good venue for concentrating energy

Temperature - indicates direction of heat flow

heat flows from higher temp → lower temp

when temperature of 2 objects becomes equal, there will be no more heat flow

system - what we are studying

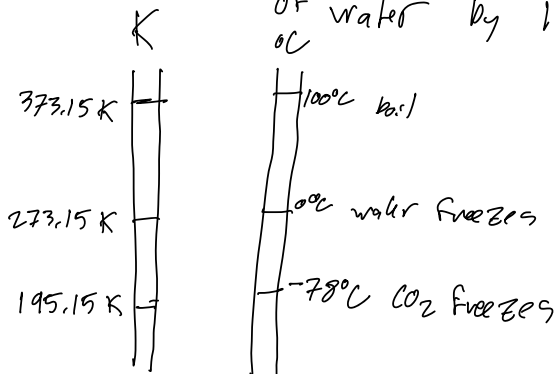
surroundings - rest of universe

heat transferred from system → surroundings exothermic

heat transferred from surroundings → system endothermic

units

Joule → 4.184 J is the amount of heat energy needed to raise temp of 1 gram of water by 1 Kelvin or 1 degree Celsius



Change of 1 K is same as change of 1°C

Calorie = 4.184 J

Specific heat capacity - property of a given material
(C)
- describes how much energy required to change temp of that material
- in units of $\frac{J}{\text{gram} \cdot K}$

$$q = m C \Delta T$$

$\left(\begin{array}{c} \text{amount} \\ \text{of heat} \\ \text{energy} \end{array} \right) = \left(\begin{array}{c} \text{mass} \end{array} \right) \left(\begin{array}{c} \text{change} \\ \text{in temp} \end{array} \right)$

$$\Delta T = T_f - T_i$$

$$C_{H_2O} = 4.184 \frac{J}{g \cdot K}$$

$$T(K) = T(^{\circ}C) + 273.15$$

How much energy is needed to warm 1 kg H_2O from $25^{\circ}C$ to $80^{\circ}C$

$$m = 1 \text{ kg} = 1000 \text{ g}$$

$$\Delta T \rightarrow T_f = 80^{\circ}C + 273.15 = 353.15 \text{ K}$$

$$T_i = 25^{\circ}C + 273.15 = 298.15 \text{ K}$$

$$T_f - T_i = 55 \text{ K}$$

$$q = (1000 \text{ g}) \left(4.184 \frac{J}{g \cdot K} \right) (55 \text{ K}) = 230120 \text{ J (endothermic)} \quad q > 0$$

How much energy needs to be removed from 1 kg H_2O at $80^{\circ}C$ to get it to $25^{\circ}C$

$$q = (1000 \text{ g}) \left(4.184 \frac{J}{g \cdot K} \right) (-55 \text{ K}) = -230120 \text{ J (exothermic)} \quad q < 0$$

230120 J must be removed

Sometimes heat in/out but no ΔT

during phase change T is constant but energy is moving

$S \rightarrow L$ $L \rightarrow G$ endothermic $G \rightarrow L$ $L \rightarrow S$ exothermic

Heat of fusion = amt of energy $\text{sol} \rightarrow \text{liq}$ $333 \frac{\text{J}}{\text{g}}$ for water
Heat of evap = amt of energy $\text{liq} \rightarrow \text{gas}$ $2256 \frac{\text{J}}{\text{g}}$ for water

1g liquid H_2O @ 100°C
 $\downarrow$
1g gaseous H_2O @ 100°C requires 2256 J

liquid water @ $25^\circ\text{C} \rightarrow$ gaseous water @ 100°C
 $\downarrow q = mc\Delta T$
liquid water @ 100°C ——— $\uparrow$
 $2256 \frac{\text{J}}{\text{g}}$

Heat transfer question - combine 2 things at diff temps

- At what temp are they when they equilibrate

$$q_1 = m_1 c_1 \Delta T_1$$

$$q_2 = m_2 c_2 \Delta T_2$$

$$q_1 + q_2 = 0$$

usually trying to find T_f and both objects have same T_f

$$q_1 = m_1 c_1 (T_f - T_{i,1})$$

$$q_2 = m_2 c_2 (T_f - T_{i,2})$$