

Bond order $\rightarrow$ single bond has $BO = 1$
triple bond has $BO = 3$
In O_3 $BO = 1.5$

TABLE 8.8 Some Average Single- and Multiple-Bond Lengths in Picometers (pm)*

Single Bond Lengths											
Group											
	1A	4A	5A	6A	7A	4A	5A	6A	7A	7A	7A
	H	C	N	O	F	Si	P	S	Cl	Br	I
H	74	110	98	94	92	145	138	132	127	142	161
C		154	147	143	141	194	187	181	176	191	210
N			140	136	134	187	180	174	169	184	203
O				132	130	183	176	170	165	180	199
F					128	181	174	168	163	178	197
Si						234	227	221	216	231	250
P							220	214	209	224	243
S								208	203	218	237
Cl									200	213	232
Br										228	247
I											266

will correlate
w/ atom sizes

As bond order increases, bond length gets smaller

Multiple Bond Lengths

C=C	134	C $\equiv$ C	121
C=N	127	C $\equiv$ N	115
C=O	122	C $\equiv$ O	113
N=O	115	N $\equiv$ O	108

*1 pm = 10^{-12} m.

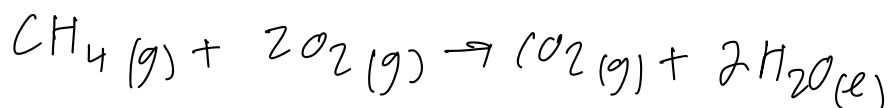
Bond dissociation enthalpy = ΔH for bond breaking
tells us "strength" of bond

TABLE 8.9 Some Average Bond Dissociation Enthalpies (kJ/mol)*

Single Bonds											
	H	C	N	O	F	Si	P	S	Cl	Br	I
H	436	413	391	463	565	328	322	347	432	366	299
C		346	305	358	485	—	—	272	339	285	213
N			163	201	283	—	—	—	192	—	—
O				146	—	452	335	—	218	201	201
F					155	565	490	284	253	249	278
Si						222	—	293	381	310	234
P							201	—	326	—	184
S								226	255	—	—
Cl									242	216	208
Br										193	175
I											151

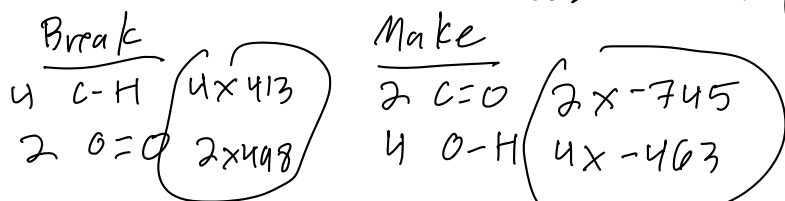
Multiple Bonds			
N=N	418	C=C	610
N≡N	945	C≡C	835
C=N	615	C=O	745
C≡N	887	C≡O	1046
O=O (in O ₂)	498		

*Sources of dissociation enthalpies: I. Klotz and R. M. Rosenberg: *Chemical Thermodynamics*, 4th Ed., p. 55, New York, John Wiley, 1994; and J. E. Huheey, E. A. Keiter, and R. L. Keiter: *Inorganic Chemistry* 4th Ed., Table E. 1, New York, Harper-Collins, 1993. See also Lange's *Handbook of Chemistry*, J. A. Dean (ed.), McGraw-Hill Inc., New York.



Break all bonds on reactants

Then form all bonds necc. to make products



$$\downarrow$$

$$2048 \text{ kJ}$$

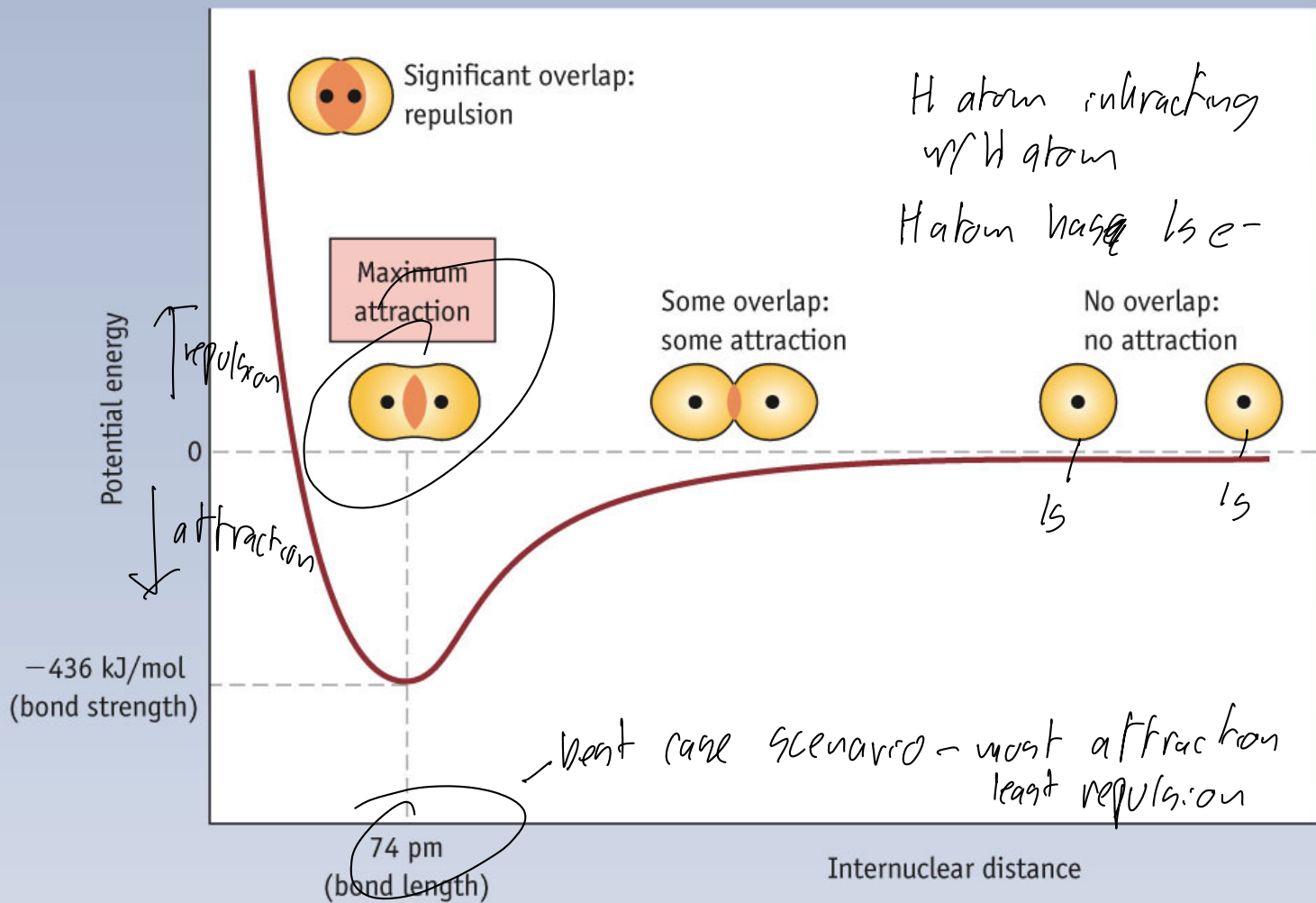
$$\downarrow$$

$$-3742 \text{ kJ}$$

$$\Delta H = -692 \text{ kJ}$$

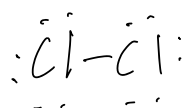
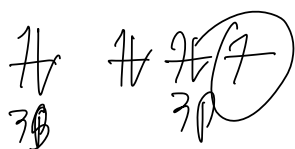
Valence Bond Theory
 good for molec geometry
 "orbital overlap"

Molecular Orbital Theory



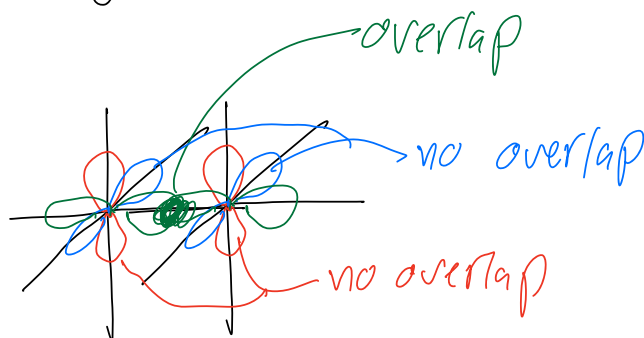
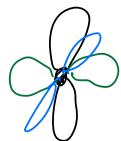
How to think about Cl_2 using valence bond theory

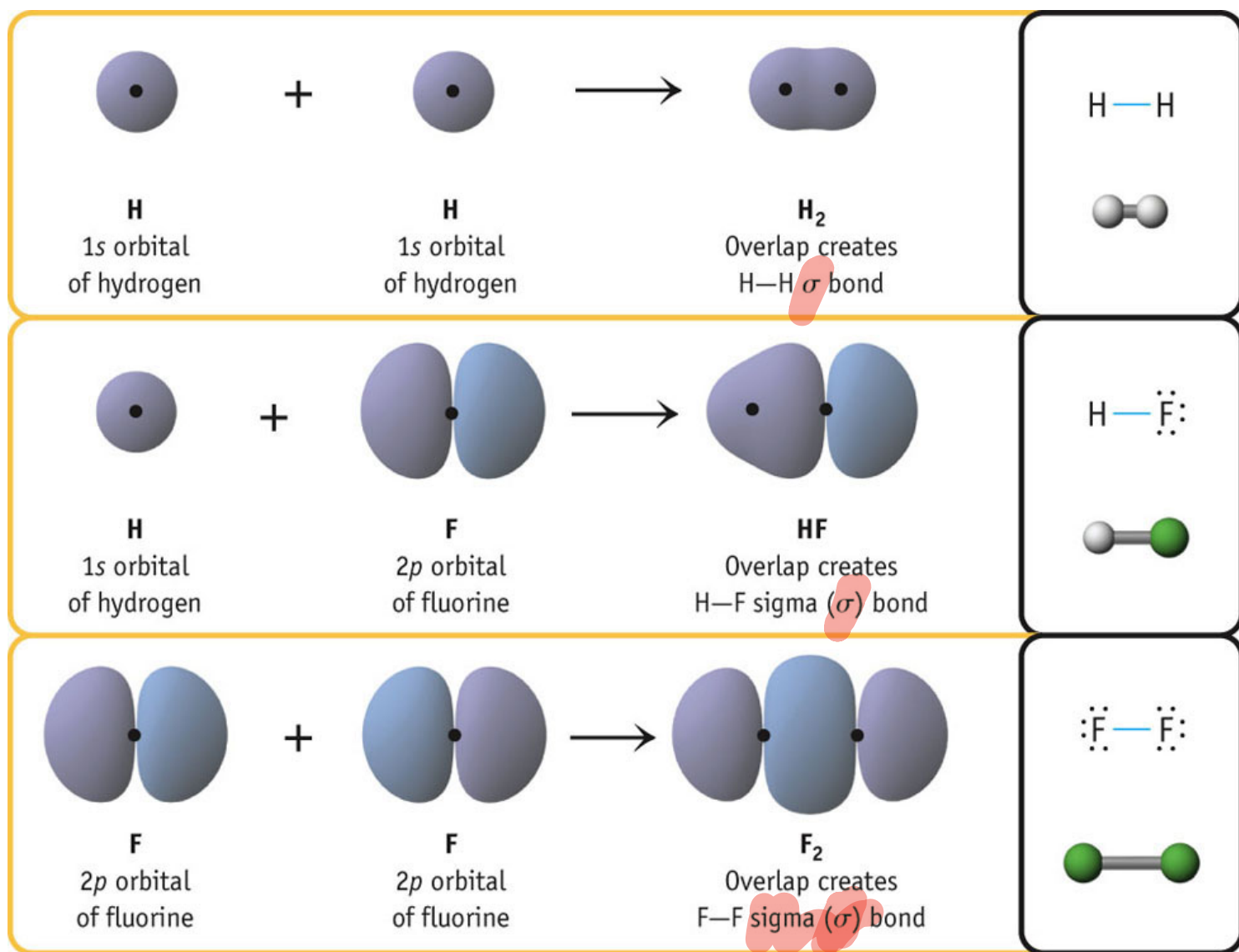
Cl atom - 7 valence electrons



* electron used for bonding is in p-orbital

*

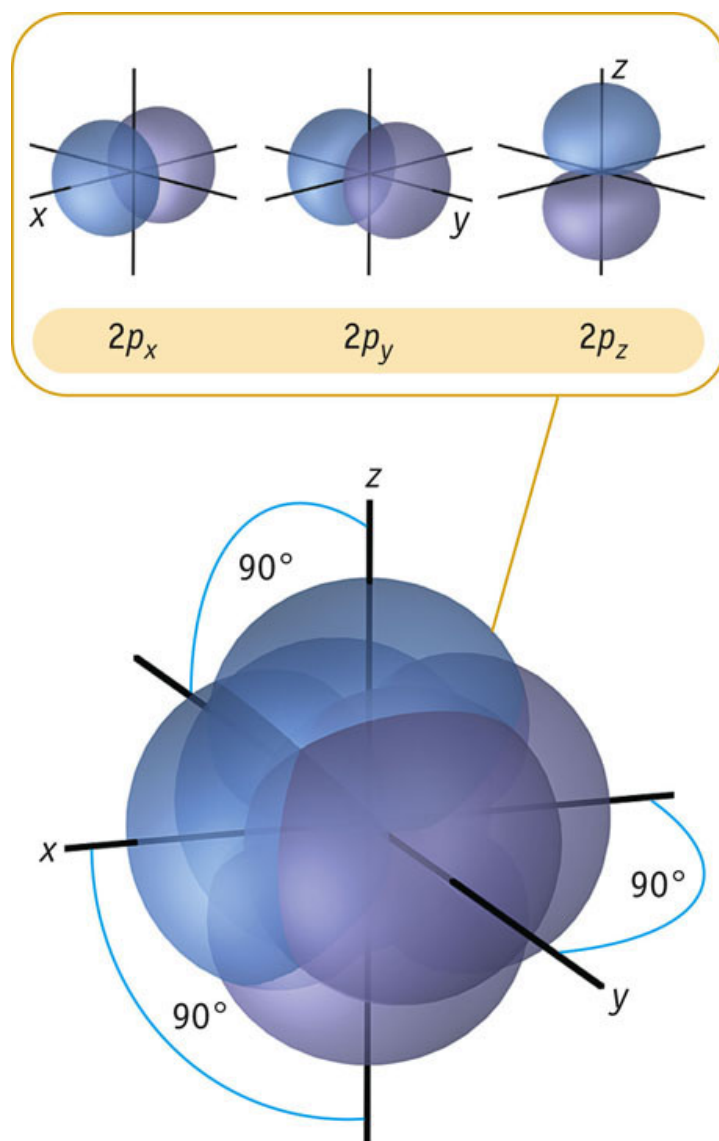


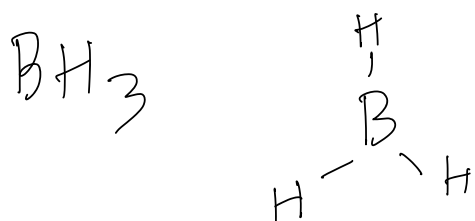


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Fig. 9-2, p. 407

Identify bond axis—line between nuclei of atoms
 Bond w/ electron density along bond axis
 is a σ bond

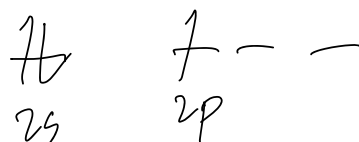




want to describe
orbital overlap here

H - 1e⁻ in 1s orbital

B - 1s² 2s² 2p¹



For there to be orbital overlaps
the B needs orbitals oriented in
trigonal planar arrangement

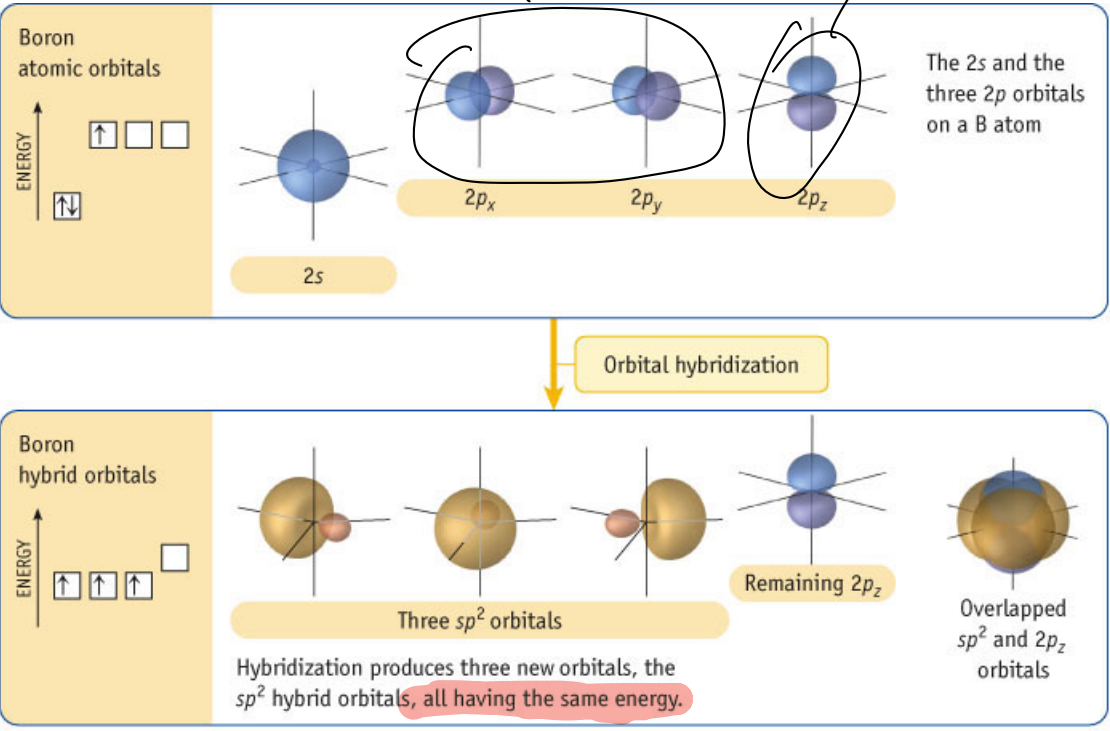
but p orbitals are oriented @ 90°
not 120°

* Hybridization is our solution to
this problem

we will combine B orbitals and then
make new ones that make useful geometry

in plane of molecule

not in plane of molecule



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combined 2s, 2p_x, 2p_y to make three sp² hybrid orbitals w/ trigonal planar geometry

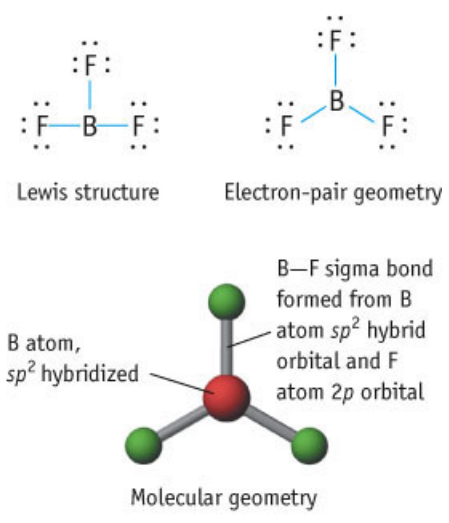
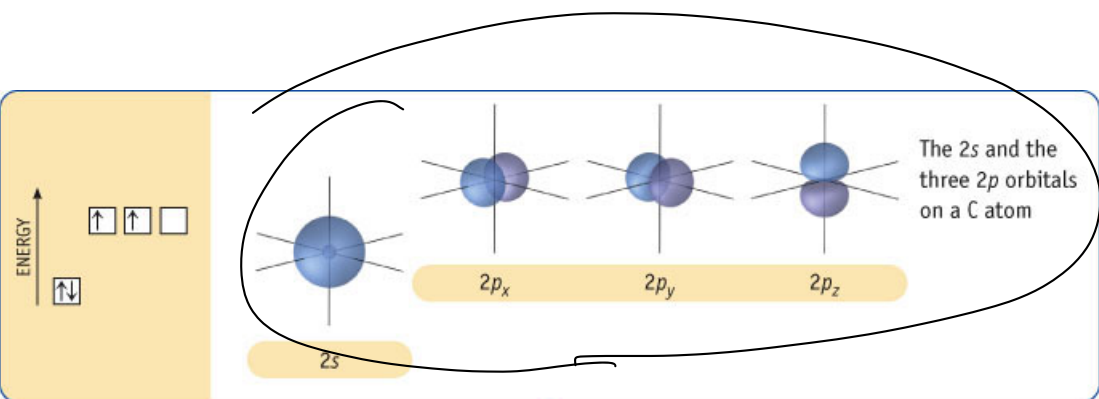
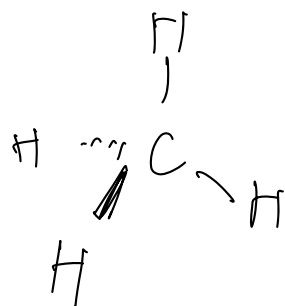
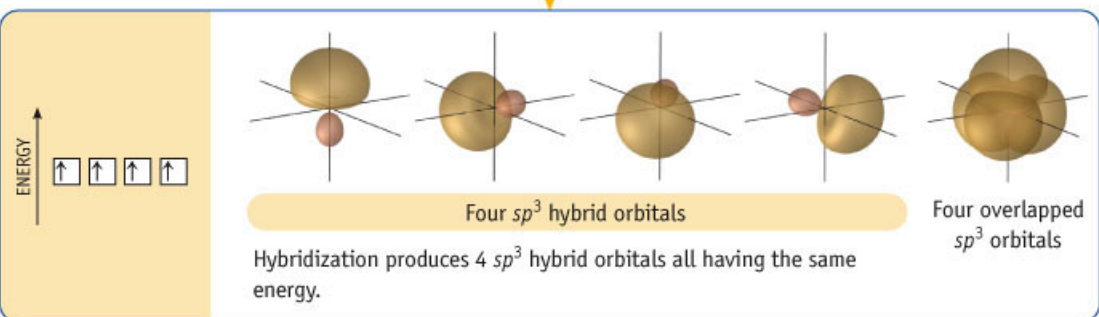


Fig. 9-8, p. 414

tetrahedral

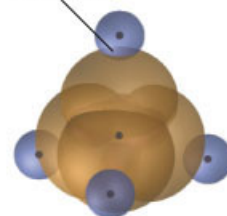


Orbital hybridization



Molecular model, CH₄

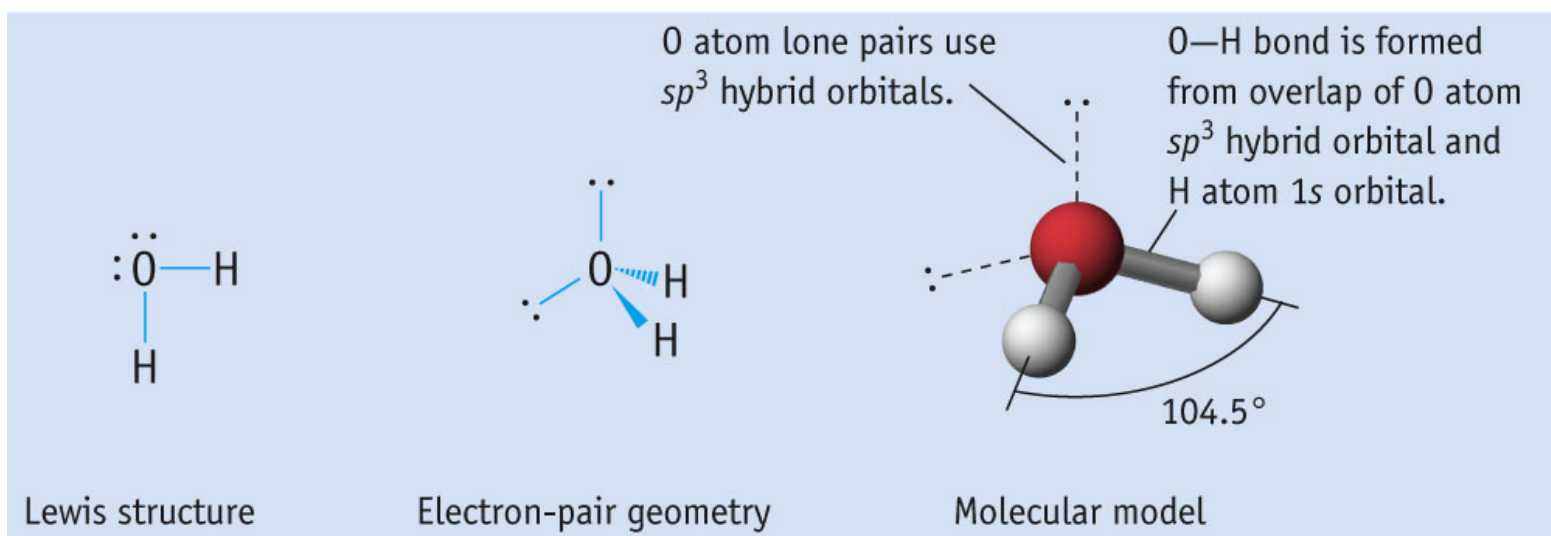
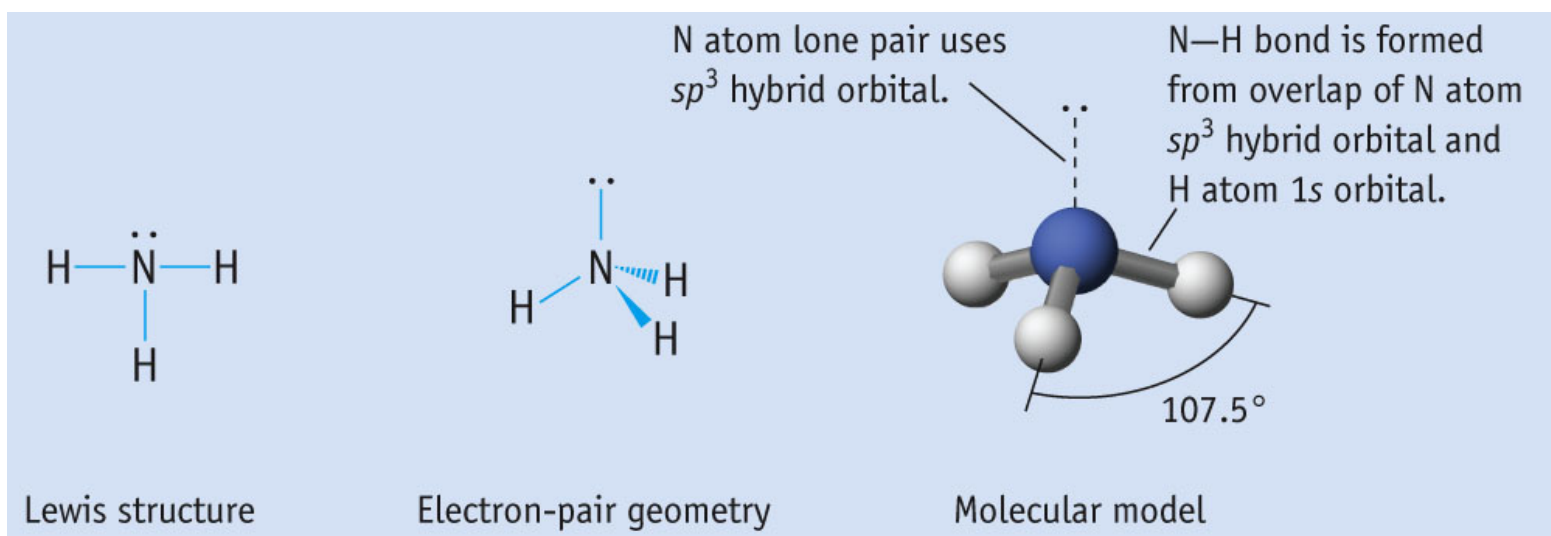
Each C—H bond uses one C atom sp^3 hybrid orbital and a H atom 1s orbital

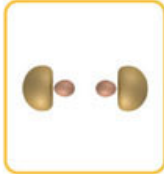
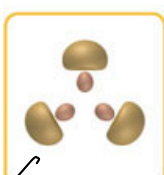
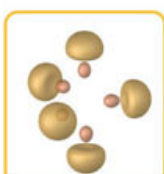
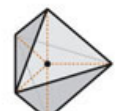
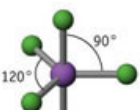
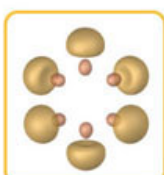
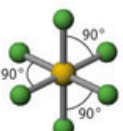


Orbital representation

Fig. 9-6, p. 411

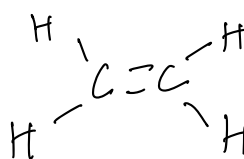
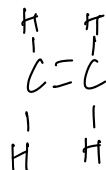
tetrahedral e-pair geometry needs sp^3



Arrangement of Hybrid Orbitals	Geometry	Example
Two electron pairs sp 	 Linear	 180° <chem>BeCl2</chem>
Three electron pairs sp^2 	 Trigonal-planar	 120° <chem>BF3</chem>
Four electron pairs sp^3 	 Tetrahedral	 109.5° <chem>CH4</chem>
Five electron pairs sp^3d 	 Trigonal-bipyramidal	 90° 120° <chem>PF5</chem>
Six electron pairs sp^3d^2 	 Octahedral	 90° 90° 90° <chem>SF6</chem>

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Fig. 9-5, p. 410



trigonal planar @ C

sp^2 hybridization

w/ 1 p orbital

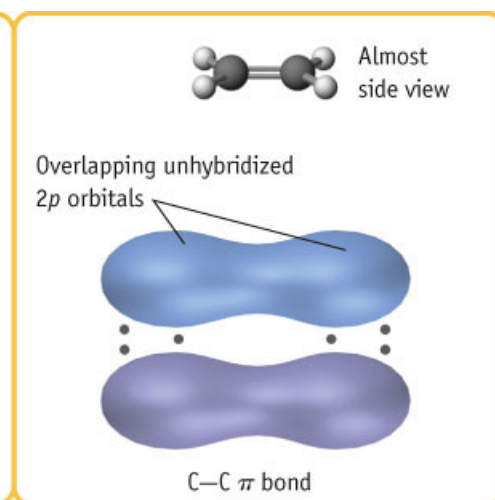
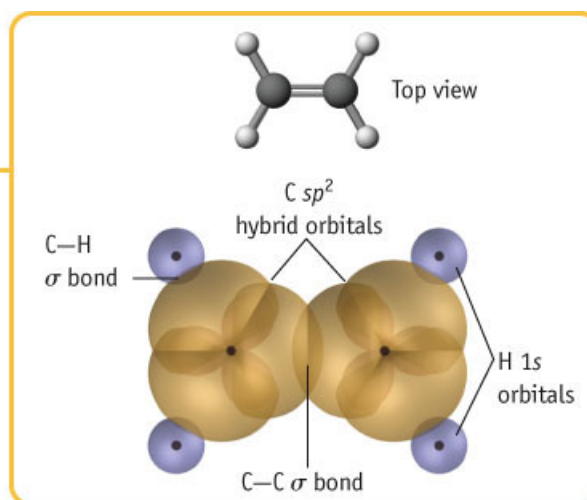
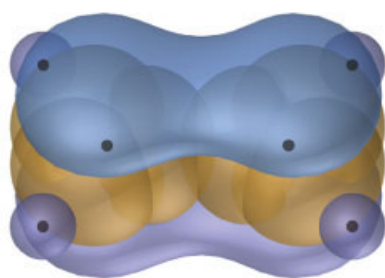
unhybridized lobe out of plane



overlap
unhyb p



π bond - no e⁻ density along bond axis



(a) Lewis structure and bonding of ethylene, C_2H_4 .

(b) The C—H σ bonds are formed by overlap of C atom sp^2 hybrid orbitals with H atom 1s orbitals. The σ bond between C atoms arises from overlap of sp^2 orbitals.

(c) The carbon-carbon π bond is formed by overlap of an unhybridized 2p orbital on each atom. Note the lack of electron density along the C—C bond axis from this bond.

Fig. 9-10, p. 417

C_2H_2 $H-C\equiv C-H$ linear geometry

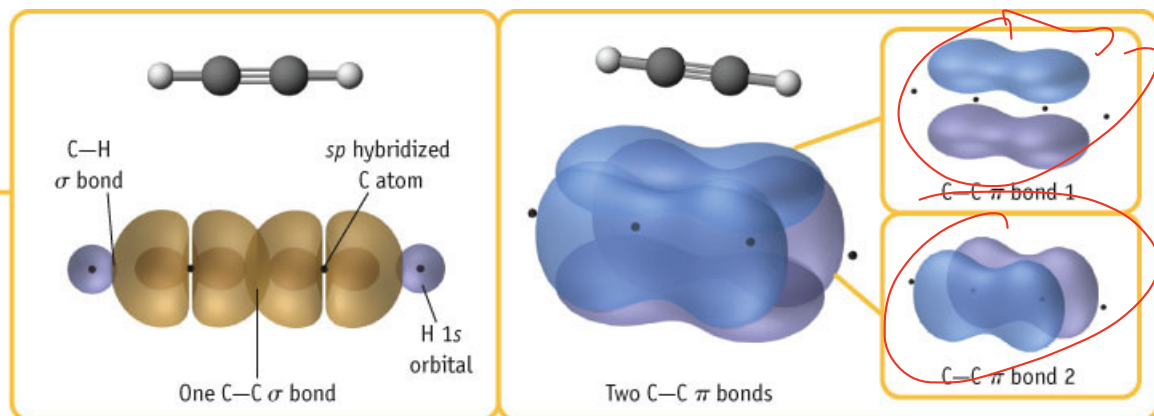
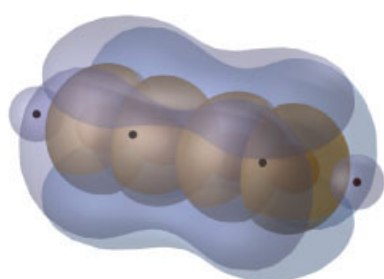
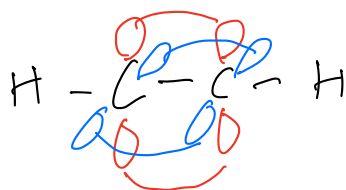
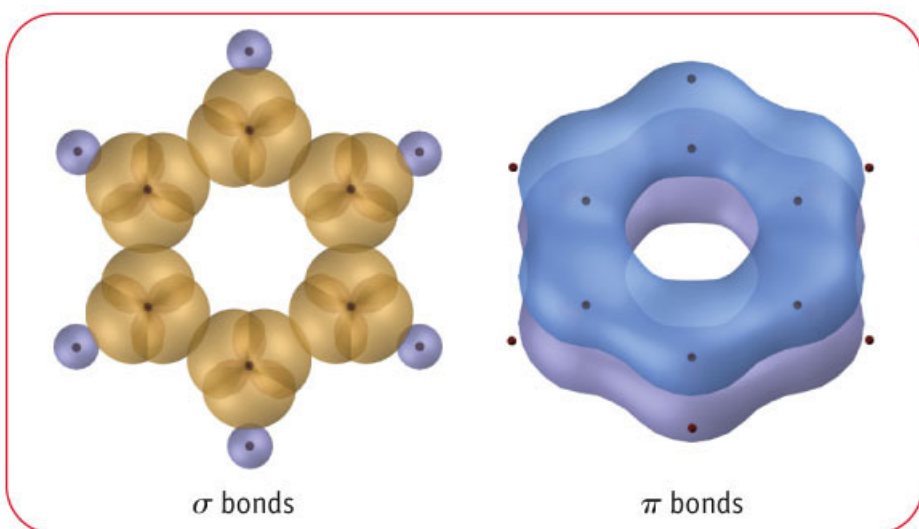
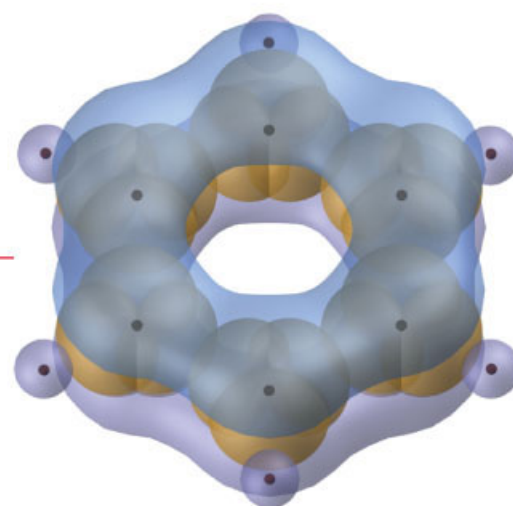


Fig. 9-12, p. 419



σ and π bonding in benzene



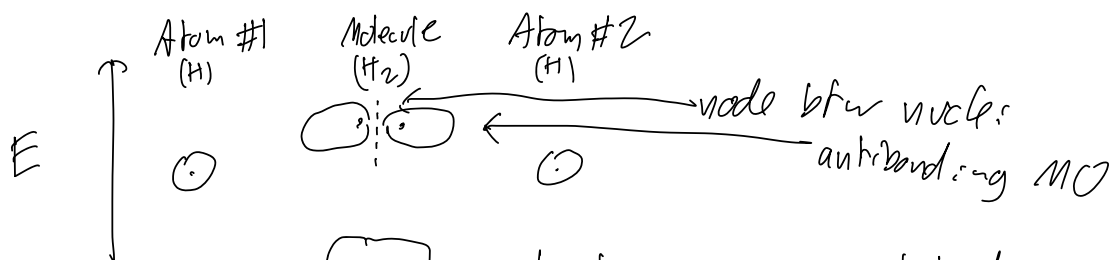
Model of bonding in benzene

Molecular orbital theory

- start with localized atomic orbitals (regular, unhyb)
- create new orbitals that "belong" to molecule as a whole
- Good for understanding energy levels of electrons in molecules

* # AOs we start with on all atoms = # MOs that we make
 combine AOs "constructively" and "destructively" to make MOs

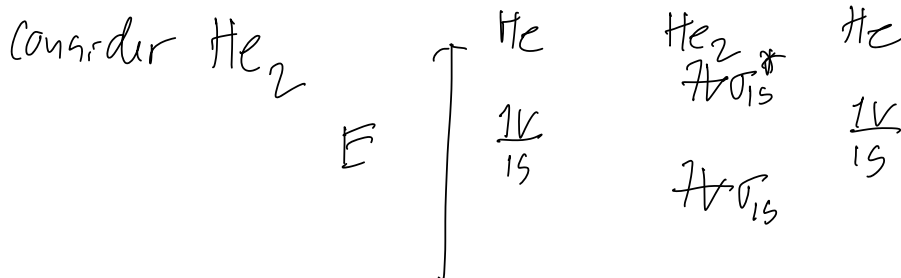
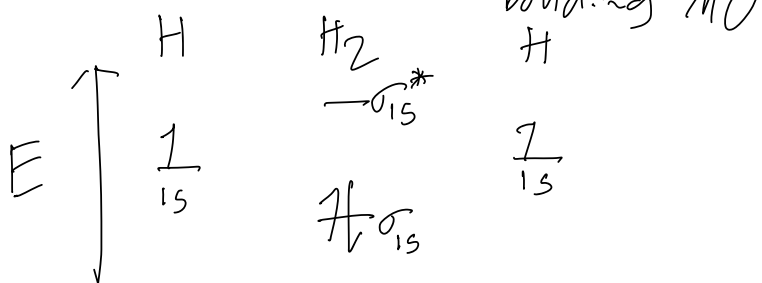
For H_2 - we start with AOs for each H atom



* bonding MO lower E than AOs

* antibonding MO higher E than AOs

* Put e^- from AOs into MOs





$$\text{Bond order} = \frac{\#e^- \text{ in bonding MOs} - \#e^- \text{ in antibonding MOs}}{2}$$

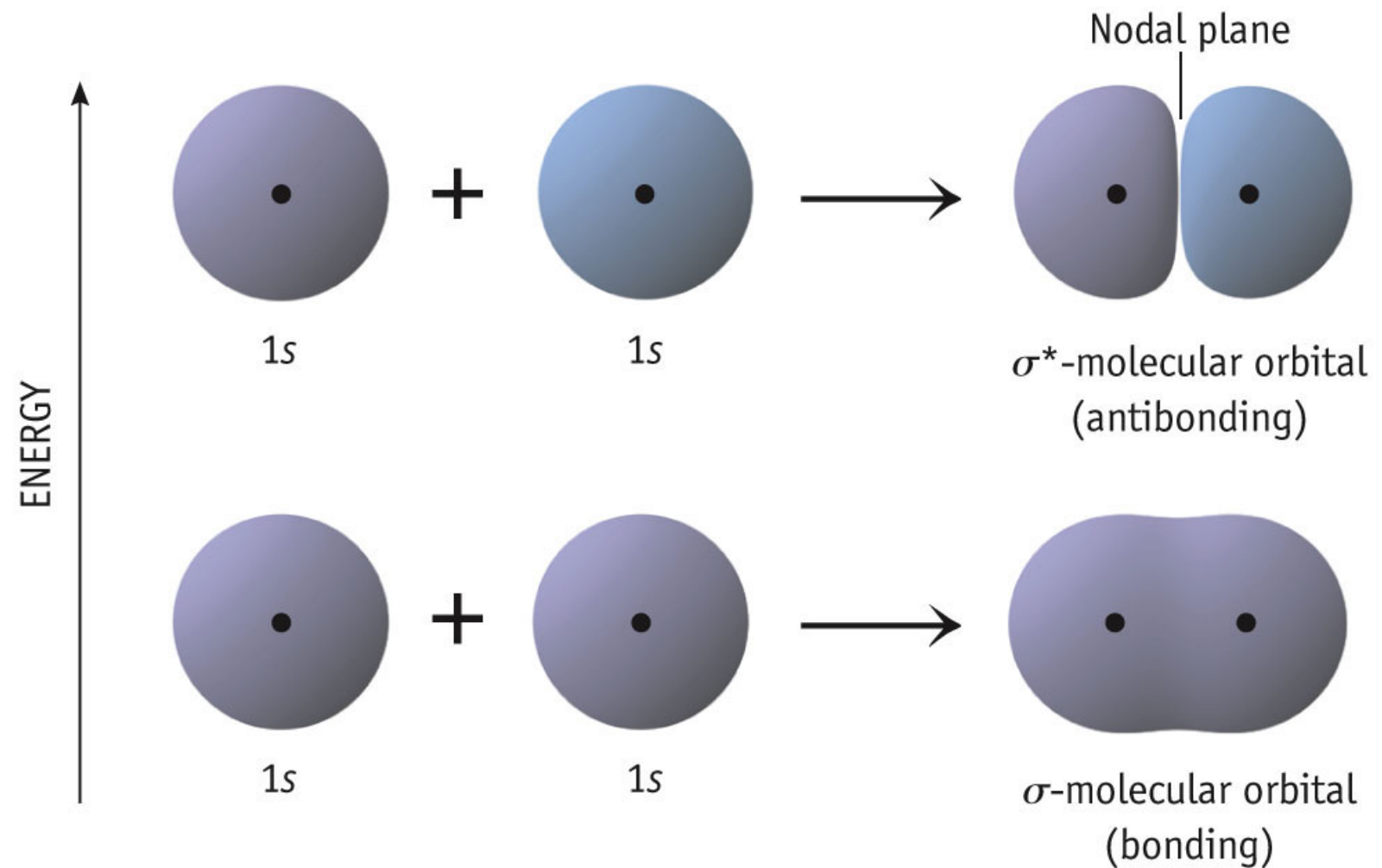
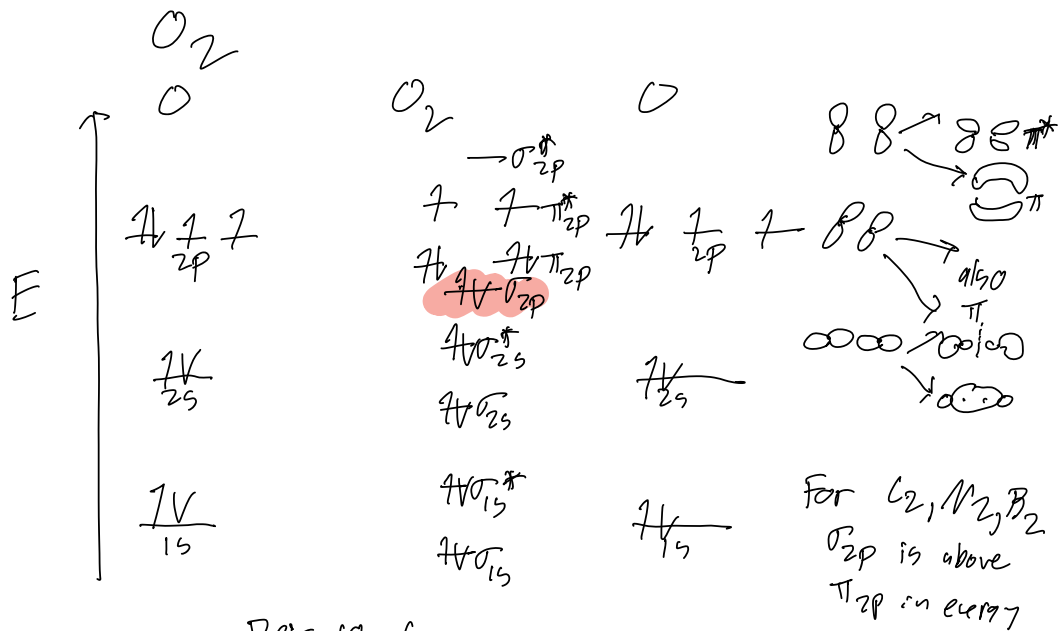


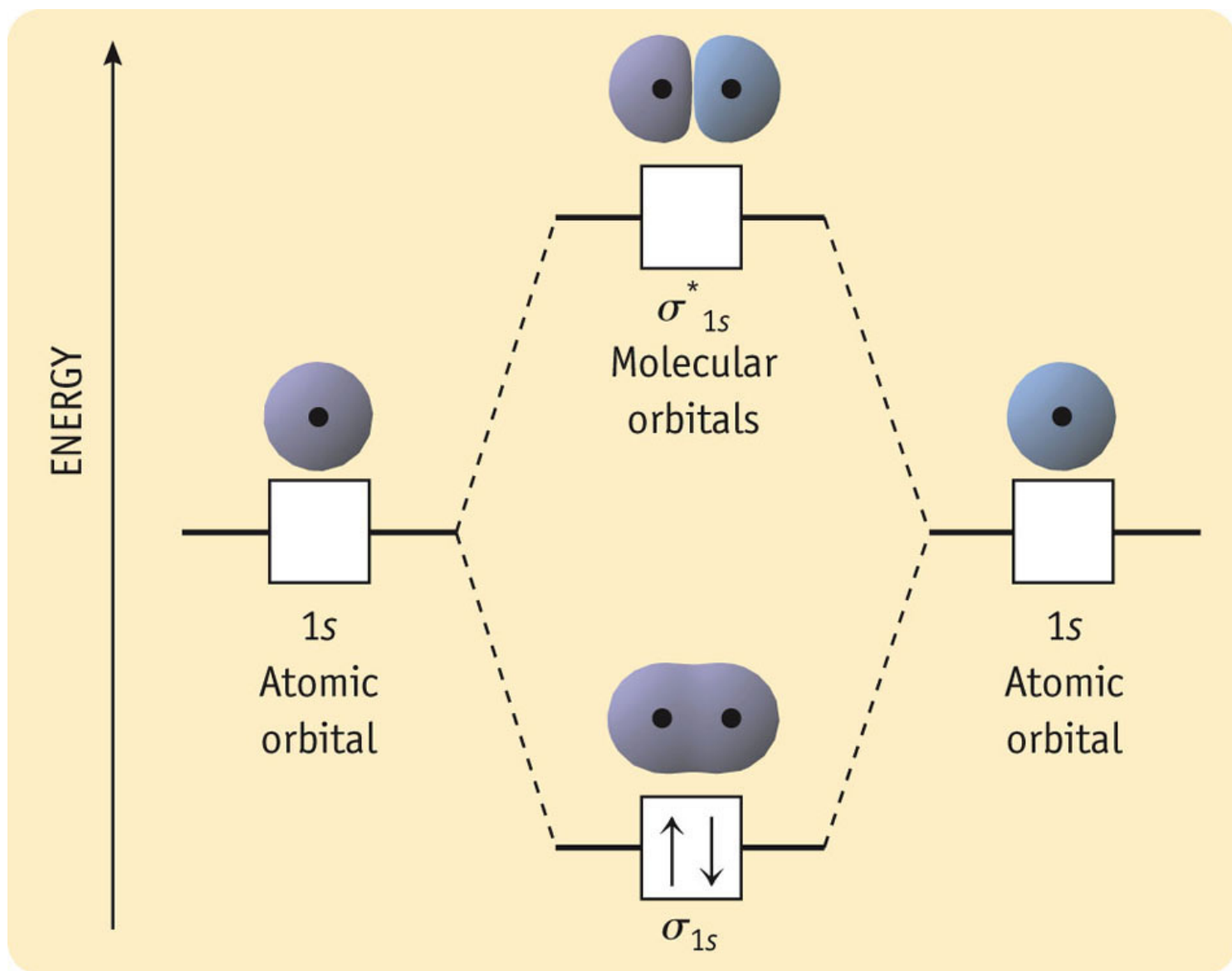
Fig. 9-16, p. 424

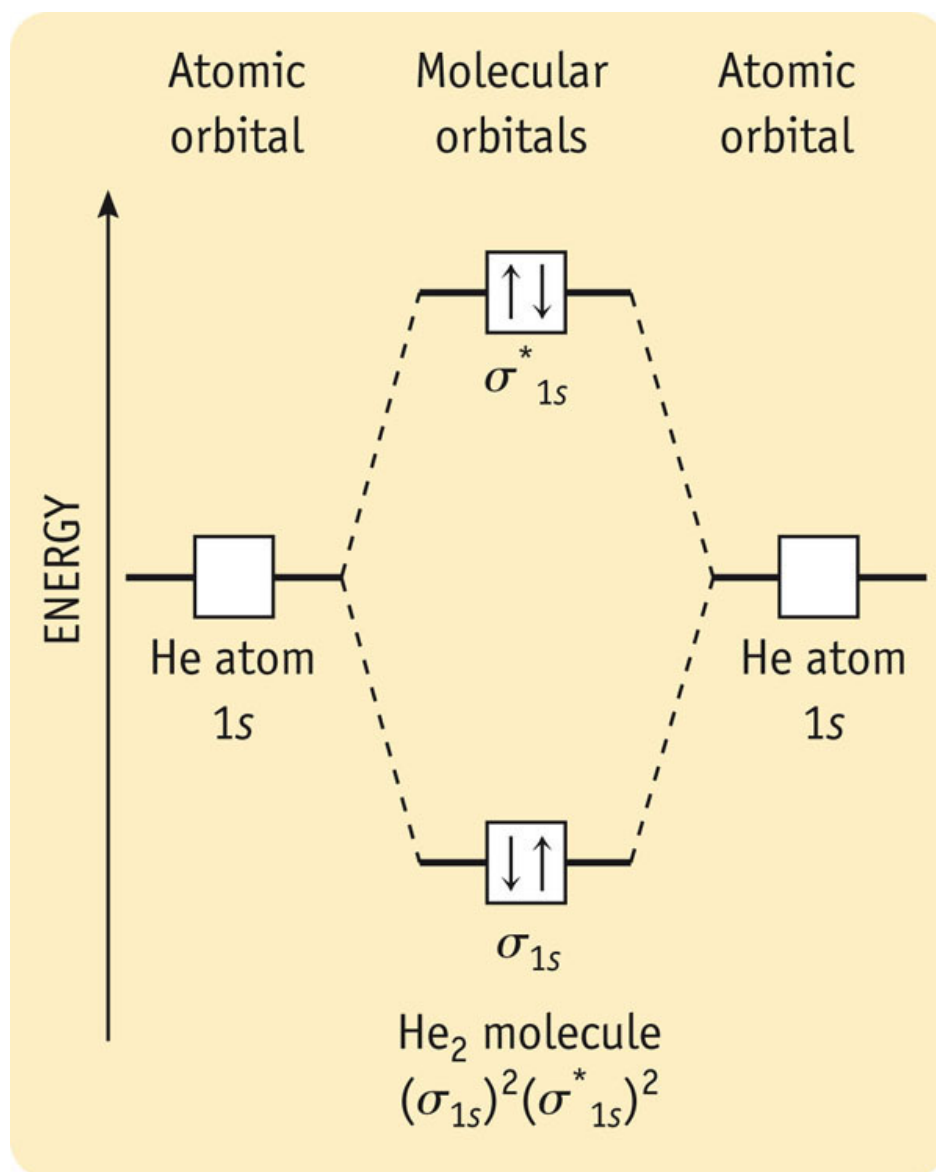
When you have a bunch of AOs, make pairs of MOs from pairs of AOs that are similar in energy

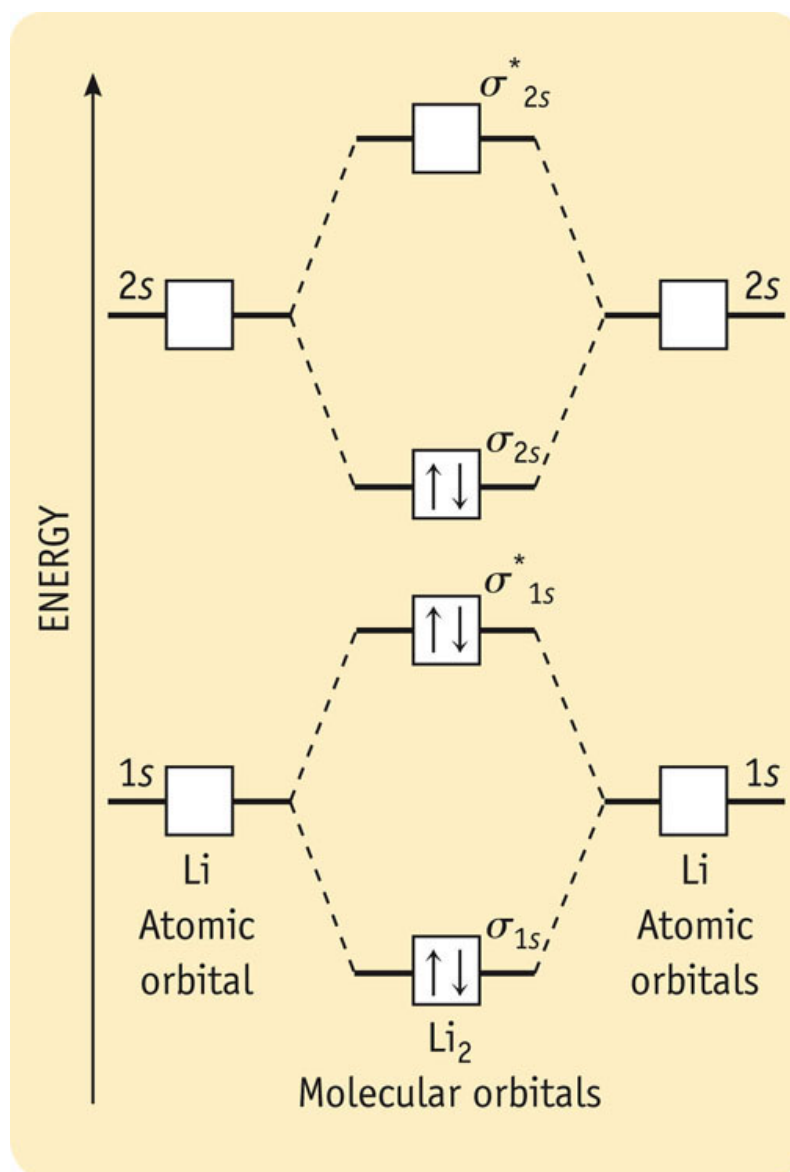


$$BO = \frac{10 - 6}{2} = 2$$

MO $\rightarrow$ O₂ should be paramagnetic

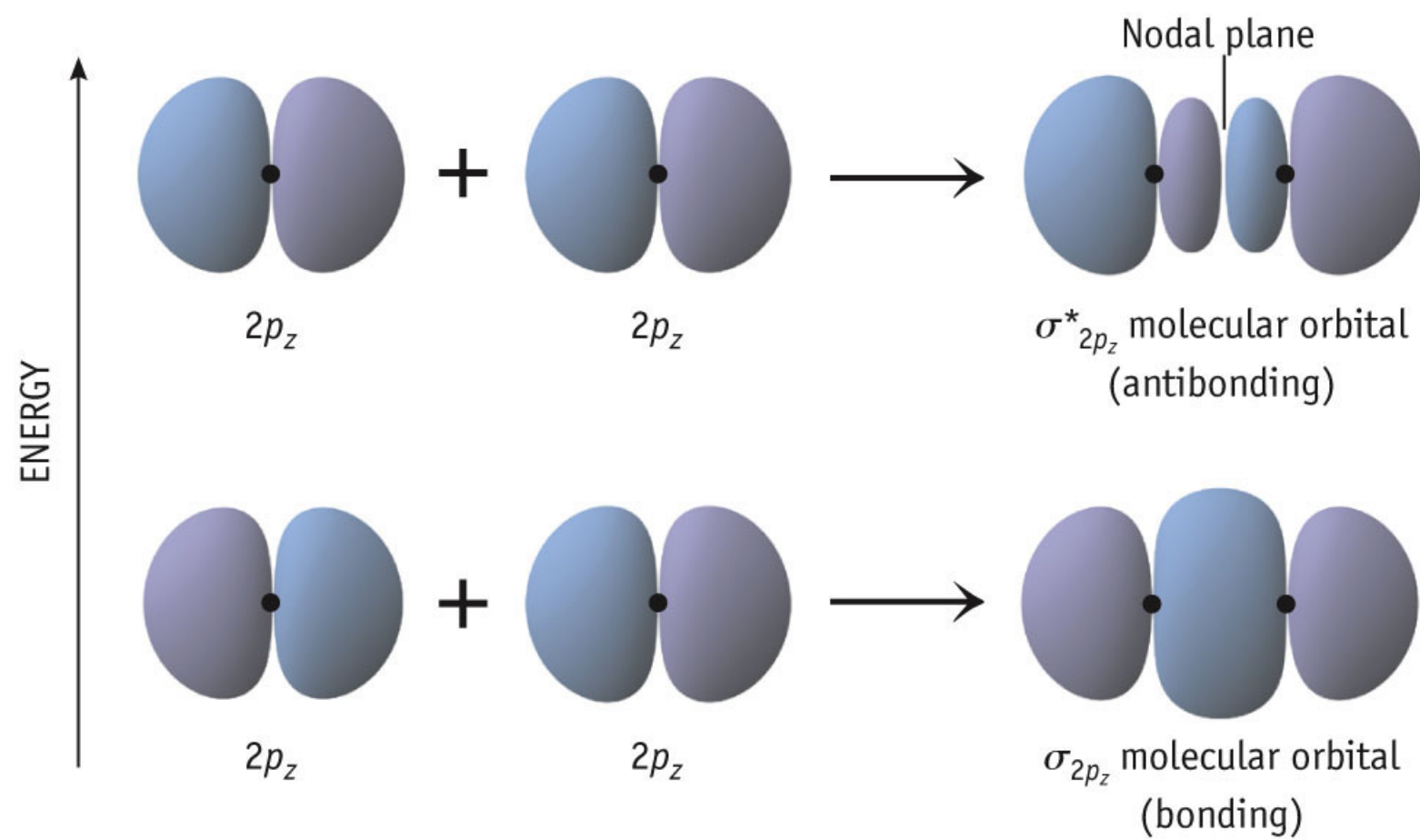


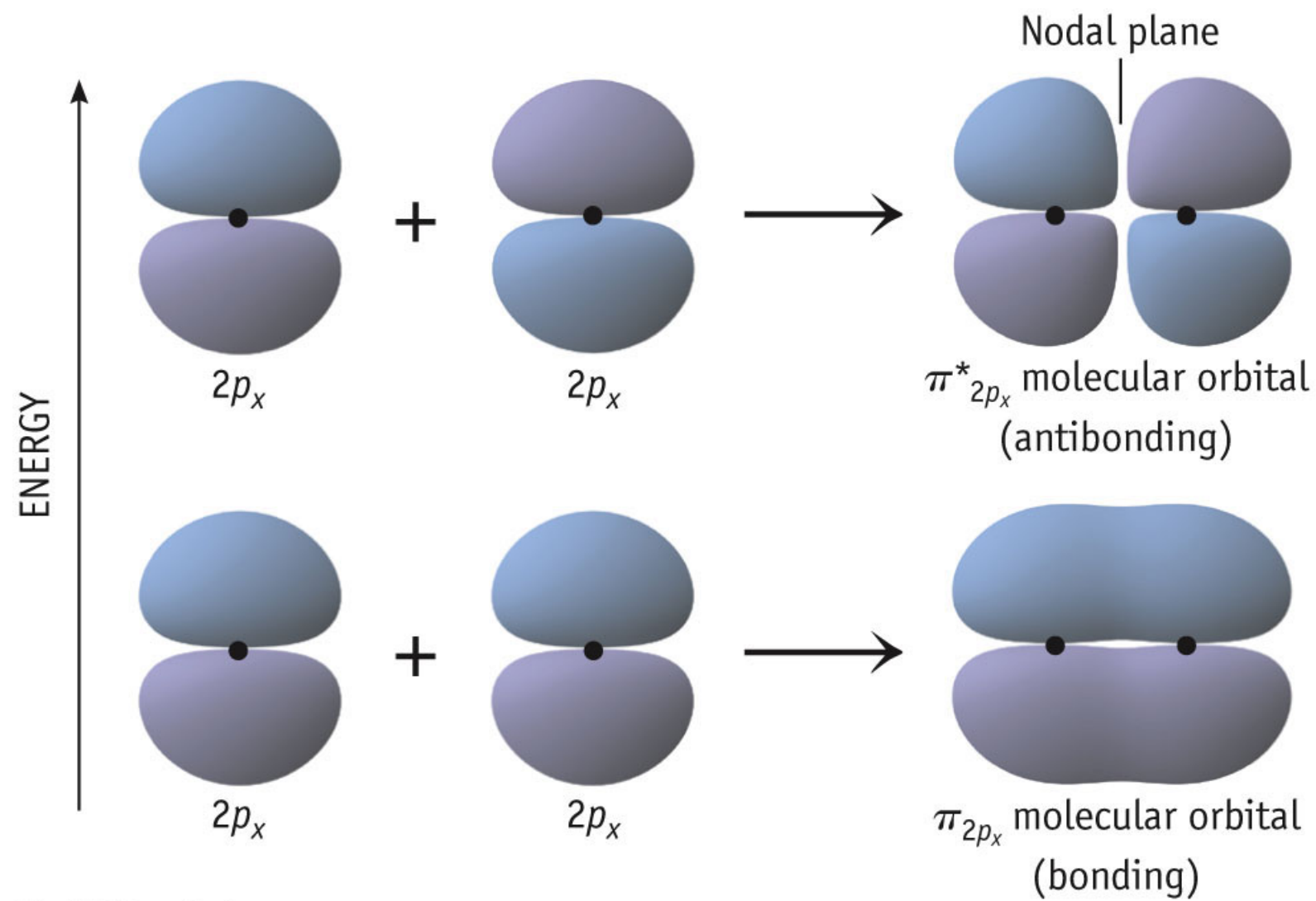


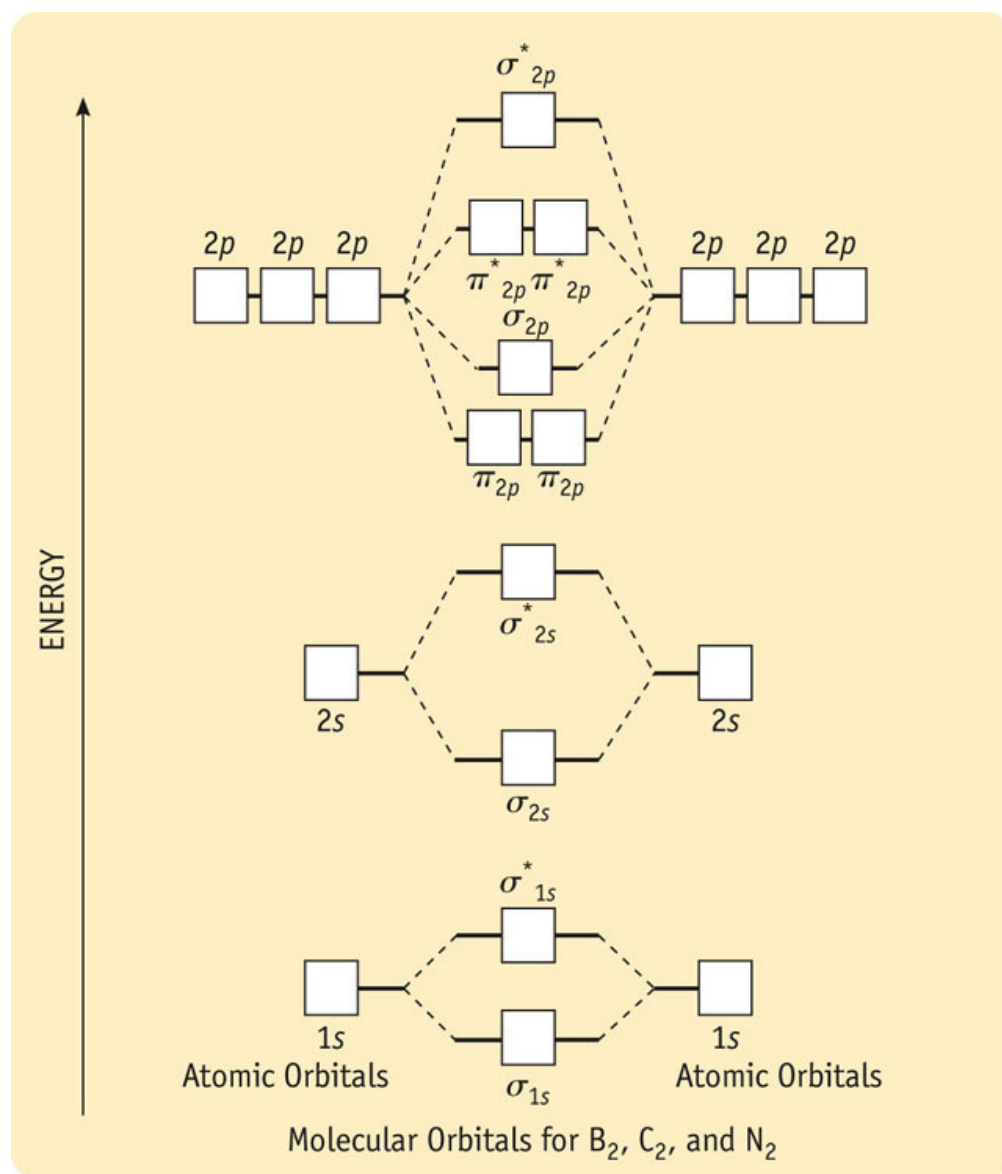


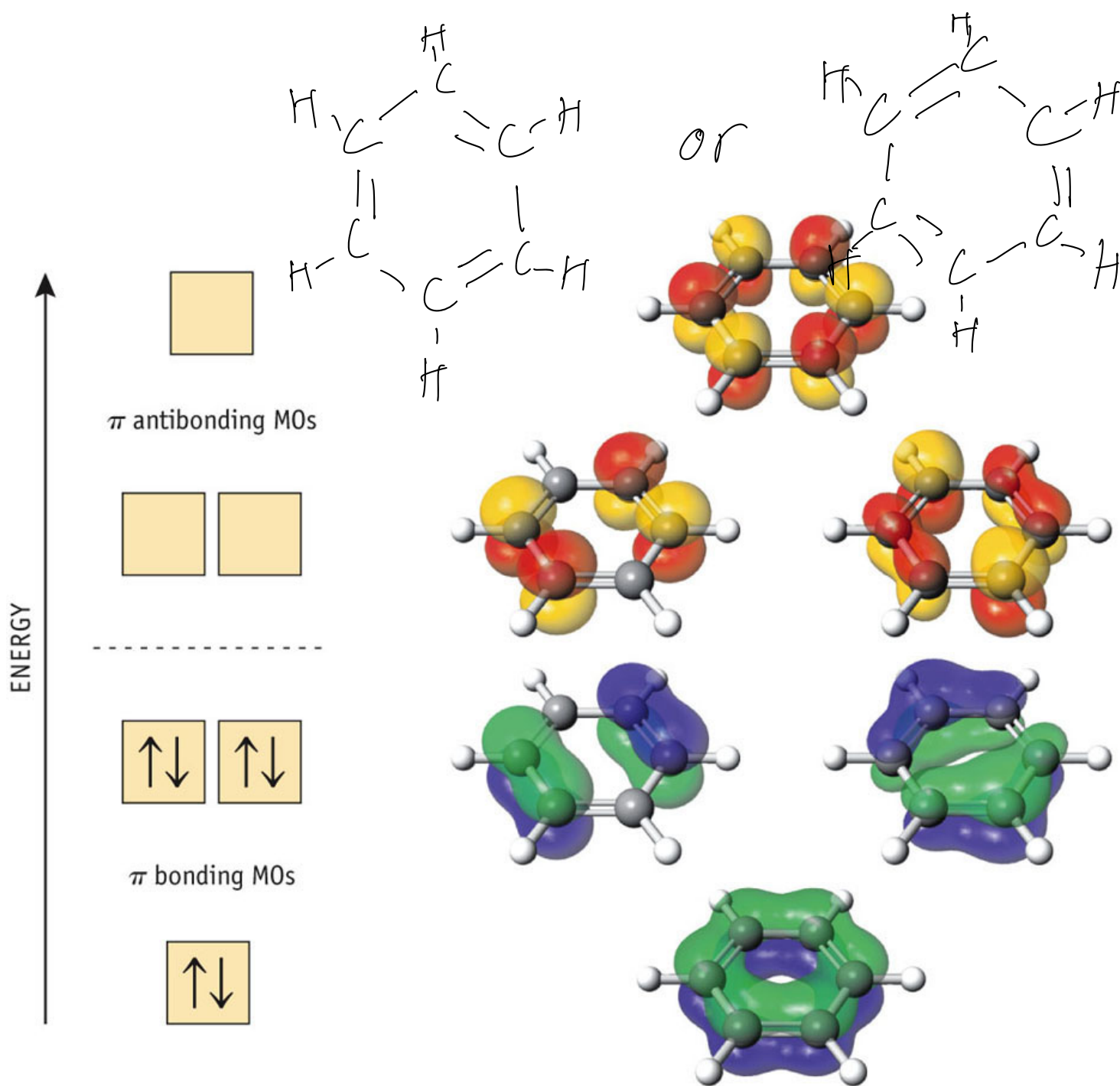
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Fig. 9-18, p. 425









Use 6 unhyb p orbitals on 6 C atoms $\rightarrow$ 6 MOs