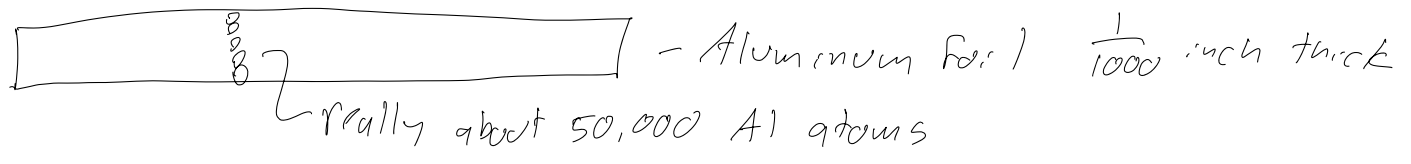


Chemistry = study of how matter undergoes change

CHEM 103 - mostly matter

Matter composed of small building blocks - atoms



Approx 100 types of atoms, each with specific properties

Elements are matter with only 1 type of atom

Compounds are matter with more than 1 type of atom

Molecules - more than 1 atom connected together

water molecule containing 1 atom of Oxygen, 2 atoms of Hydrogen $\rightarrow$ compound H_2O

Oxygen molecule containing 2 atoms of oxygen $\rightarrow$ element O_2

Pure substances vs mixtures

$\downarrow$
only 1 type of
element/compound

$\downarrow$
more than 1 type

heterogeneous mixture vs homogeneous mixture

State of matter - determined by the interactions between the "pieces" of matter

solid - strongest interactions

liquid

gas

$\downarrow$
weakest interactions

Quantitative ways to characterize matter

Mass } extensive - depends on how much
volume }

Density } intensive
color }

Change - either chemical or physical
 | |
 becomes a same substance
 new substance

Tools for chemistry - Units, scientific notation, dimensional analysis

mass - grams, ounces, pounds, kilograms

volume - liters, gallons, ...

length - meters, inches, miles

energy - Joules

nano $\xleftarrow{\div 1000}$ micro $\xleftarrow{\div 1000}$ milli $\xleftarrow{\div 1000}$ base $\xrightarrow{\times 1000}$ kilo $\xrightarrow{\times 1000}$ mega $\xrightarrow{\times 1000}$ giga

300,000,000 is 3×10^8

0.0000005 is 5×10^{-7}

Dimensional analysis - uses relationships between various quantities to convert one quantity to another

Ex: how many inches in 3.5 meters

meters $\leftrightarrow$ inches - ??

meters $\leftrightarrow$ cm - know $100 \text{ cm} = 1 \text{ m}$

cm $\leftrightarrow$ inches - know $2.54 \text{ cm} = 1 \text{ inch}$

$$3.5 \text{ m} \times \frac{100 \text{ cm}}{1 \text{ m}} = 350 \text{ cm}$$

$$3.5 \text{ m} \times \frac{100 \text{ cm}}{1 \text{ m}} \times \frac{1 \text{ inch}}{2.54 \text{ cm}}$$

$$350 \text{ cm} \times \frac{1 \text{ inch}}{2.54 \text{ cm}} = 137.8 \text{ inches}$$

Ex: You have \$10.50 and grapes cost \$2.49/pound

How many kilograms of grapes can you buy?

$$\cancel{\$}10.50 \times \frac{1 \text{ pounds of grapes}}{2.49 \cancel{\$}} \times \frac{1 \text{ (kg)}}{2.2 \text{ pounds}} = 1.92 \text{ kg of grapes}$$